

**ERRATUM TO THE PUBLISHED VERSION OF  
“LEFSCHETZ THEOREMS FOR TAMELY RAMIFIED  
COVERINGS”**

LARS KINDLER AND HÉLÈNE ESNAULT

In Theorem 6.1 we forgot to mention that  $Y$  is a complete intersection of ample divisors. Theorem 6.1 should read:

**Theorem 6.1** (Drinfeld’s theorem, [1, Prop. C.2]). *Let  $X$  be a geometrically irreducible projective variety over a finite field  $k$ , let  $D \subset X$  be a divisor, and let  $\Sigma \subset D$  be a closed subscheme of codimension  $\geq 1$  in  $D$ , such that  $X \setminus \Sigma$  and  $D \setminus \Sigma$  are smooth. Then any geometrically irreducible curve  $Y \subset X$  which intersects  $D$  in  $D \setminus \Sigma \cap D$ , and which is a complete intersection of ample divisors in good position with respect to  $D \setminus \Sigma$ , has the property that the restriction to  $Y \setminus D \cap Y$  of any finite étale connected cover of  $X \setminus D$ , which is tamely ramified along  $D \setminus \Sigma$ , is connected.*

REFERENCES

1. V. Drinfeld, *On a conjecture of Deligne*, Mosc. Math. J. **12** (2012), no. 3, 515–542, 668. MR 3024821